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Comparative Load Flow Analysis of UNILAG Power Distribution Network using Newton Raphson and Gauss Seidel Methods

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ARTICLE INFORMATION

ABSTRACT

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Keywords: Comparative load analysis Newton-Raphson Gauss-Seidel Distribution network Sub-Stations Active and reactive power System losses The evaluation of power flow in the distribution network has many techniques but there has been a very much interest in the traditionally known methods. These methods have enjoyed very wide acceptability and applicability. However, a comparative study of these techniques for the investigation of the load flow analysis for any of the Nigeria's distribution systems is not adequately and proficiently documented. Thus, this inspired the adaptation of these techniques for the solution of a structured distribution network in the University of Lagos (UNILAG) Campus. The opportunity presented by this research is the deployment of these methods for the analysis and testing of a reallife power distribution network. The results obtained were validated with the IEEE-9 bus and IEEE-30 bus systems. The results obtained for the Campus distribution network were not only highly revealing but it also provided comparatively information (in respect of GS versus NR) as follows: number of iterations (i.e. 3 versus 177), convergence time (i.e. 0.2457 versus 0.3276), power mismatch (0.017 MVAr versus 0.00 MVAr), system losses (i.e. 0.854 MW versus 0.855 MW), iteration tolerance (0.00001 versus 0.00) From this, the compared results indicated that the NR method converges faster with a least number of iterations irrespective of the number of the system buses while in the GS method, the number of iterations increases proportionally as the number of buses increases. Thus, it is evidently established that the NR method is very adequate for the analysis of large distribution networks.

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1. INTRODUCTION

The distribution systems hold a very significant position in the power system since it is the main point of link between bulk power and consumers (Borzacchiel *et al.*, 2016; Afandi *et al.*, 2017). Effective planning of distribution networks is required to meet the present growing domestic, industrial and commercial loads.

In order to have a properly designed and operated distribution network, the system should support energy supply at minimum operation and maintenance cost (Sedghi and Aliakbar, 2012). More so, the network capacity should satisfy the continuously changing national load demand for the active and reactive power flow.

According to Chatterjee and Mandal, (2017) and Afolabi *et al.* (2015) the common approach to power system operation is the performance of the load flow analysis in which loads connectivity and flow of the current/power is a crucial step. It is carried out to determine the steady state operating characteristics of the system including losses across the system as well as the iterative techniques for load flow study (Adejumobi *et al.*, 2013). The most important information obtained from the load flow analysis is the voltage profile and quantification of the power flow of the system (Gomez-Exposito and Abur, 2004; Borzacchiello *et al.*, (2016). If voltage varies greatly over the matrix of the power system, thus large reactive flows will result which may lead to increased real power losses. Whereby, in extreme cases, this may result in a likelihood of voltage collapse (Ali and Antonio, 2004). Furthermore, the study has the potential to determine the extent of equipment overload such as transformers and cables.

To maintain the quality of service offered by the University community to the Nigerian economy, a reliable electric power supply to the University community is paramount for teaching, research and development (Akinbulire *et al.*, 2010). This can only be achieved by planning the power network such a way that the incessant occurrence of blackout is averted. In Nigeria, most institutions are supplied with a utility distribution networks which with a supply voltage of 11 kV. For instance, the UNILAG Campus is supplied by the Eko Electricity Distribution Company and is then distributed within the 50-bus system that supply the campus. Thus, the University of Lagos Akoka campus is mainly supplied by ring-main distribution system arranged in four-ring topology (Dada *et al.*, 2016). As a means of ensuring stable power supply, four captive Diesel generators are installed at the University's power sub-station which is integrated with the utility's distribution grid. Hence, the robust engineering analysis of the ensuing network is thus essential for adequate provision of technical information on the traditional energy flow in the network. This thus suggests the possibilities for mitigating the energy losses in the network (Akinbulire *et al.*, 2010).

Previous investigations on the effect of line losses with the computation of the number of iterations of Newton Raphson and Gauss Seidel as it relates to the buses of the power system showed that the solutions of Gauss Seidel method depends on the number of buses while Newton Raphson is independent of the system size (Jagpreet and Rajni, 2016). However, a method of analyzing a radial 3-phase distribution network without solving the conventional load flow equation was presented by Golkar and Turk, (2007) but didn't overcome the challenges of computational efficiency. According to the work of Archita et al. (2016) it is possible to evaluate the variance in NR and GS methods for a network (Hadi, S., 2010). However, the work failed to address the convenience and memory optimization challenges. In Deepinder and Supreet, (2016); various techniques of load flow study under different operating conditions using conventional methods such as Y-matrix iterative method, Z-matrix method, Newton Raphson method and other forms of iterative methods were reviewed but not validated with real life data. Also, the operational comparison between Gauss-Seidel and Newton Raphson power flow methods using a 4-bus power system was presented by Chatteriee and Mandal, (2017) but lacks details of other technicalities of load flow methodologies. In other words, a comparative study of Gauss-Seidel and Newton Raphson load flow methods in terms of computational time, number of iterations, tolerance value and convergence time was tested and carried out using IEEE-9 bus, IEEE-30 bus and IEEE-57 buses but it failed to address the losses and efficient management of load flow in detail (Afolabi et al., 2015; Borzacchiello et al., 2016; Vijayvargia et al., 2016).

Thus, the aim of this work is to evaluate Newton Raphson and Gauss Seidel load flow methods as efficient technique for evaluating the load flow analysis of a typical stand-alone distribution network with special consideration for the energy efficiency and losses in the network.

2. MATERIALS AND METHODS

2.1. Materials

The materials used for this analysis are AR6 energy analyzer, voltage and current clamps, electrical transient and analysis program (ETAP) power flow software and MATLAB.

2.2. Methods

Comparative load flow method was applied in this study (Montoya *et al.*, 2018). Newton-Raphson method is an iterative method which approximates the set of non-linear equations using Taylor's series expansion and the terms are restricted to the first order approximation. This method is one of the most popular procedures for solving these power flow equations.

$$P_{i} = \sum_{k=1}^{n} |V_{i} \cdot V_{k} \cdot Y_{ik}| \cos(-\theta_{i} - \theta_{k} - \delta_{ik})$$

$$(1)$$

$$Q_{i} = \sum_{k=1}^{n} |V_{i}.V_{k}.Y_{ik}| \sin(\delta_{i} - \delta_{k} - \theta_{ik})$$
⁽²⁾

i =1, 2...,n

Where:

n =total number of buses in the system Pi and Qi =specified active and reactive demand at load bus i Yik= element of line conductance Vi = bus voltage at bus i Vj = bus voltage at bus j $\theta i, \theta j$ = bus voltage angle $\delta i j$ = load angle

The power flow equations (Equations (1) and (2)) are nonlinear and it is required to solve 2 (n-1) such equations involving $|V_i|$, δ_i , P_i , and Q_i at each bus for the load flow solution (Glover and Sarma, 2002).

Gauss Seidel is another method of solving a non-linear equation. The principle of this method is rather simple. It is used for solving the equation of the form:

$$\mathbf{F}\left(\mathbf{x}\right) = \mathbf{0} \tag{3}$$

Where:

F(x) = non-linear function of a variable.

For a typical power system equation of the form:

$$S_i = P_i + jQ_i = V_i I_i^* \tag{4}$$

Where:

$$I_i = Y_{ik} V_k \tag{5}$$

Therefore:

$$P_{i} - jQ_{i} = V_{i}^{*} \sum_{\substack{k=1\\k\neq i}}^{n} Y_{ik} V_{k}$$
(6)

Hence, from Equation (5), for an n-bus power system:

$$I_{i} = \frac{P_{i} - jQ_{i}}{V_{i}^{*}} = Y_{ii}.V_{i} + \sum_{\substack{k=1\\k\neq i}}^{n} y_{ik}.V_{k}$$
(7)

From Equation (7):

$$V_{i} = \frac{1}{Y_{ii}} \left[\frac{P_{i} - jQ_{i}}{V_{i}^{*}} - \sum_{\substack{k=1\\k\neq i}}^{n} Y_{ik} . V_{k} \right]$$
(8)

Another important step in this analysis are the flow charts shown in Figures 1 and 2. These charts were developed to explain the algorithms for the analysis of the load flow study using both Newton-Raphson and Gauss-Seidel techniques respectively (Keyhani *et al.*, 1989). These flow charts are essentially implemented while deploying the MATLAB codes.

These were provided for easy understanding of the procedure for achieving the load flow analysis. Thus, the active and reactive powers mismatched are obtained as shown in Equations (9) and (10).

$$\Delta P_i = P_{i,inj} - P_{i,calc} = P_{di} - P_{i,calc}$$
(9)

$$\Delta Q_i = Q_{i,inj} - Q_{i,calc} = Q_{di} - Q_{i,calc}$$
(10)

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Figure 1: Flow chart for load flow solution using Newton-Raphson method (Hadi, 2010)

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Figure 2: Flow chart for load flow solution using Gauss Seidel method (Hadi, 2010)

After the iteration processes is stopped, the final voltage magnitude (|V|) and voltage angle (δ) are calculated therefore the problem of power flow system will be solved.

3. RESULTS AND DISCUSSION

The load flow analysis of IEEE-9 Bus, IEEE-30 Bus systems and the power distribution network of the University of Lagos campus were used as sources of data in this study. The IEEE-9 Bus and IEEE-30 Bus systems are the standard power networks that are used for validating the results obtained from the real-life power systems. The comprehensive loading capacity as well as the voltage profile of the UNILAG power distribution network was obtained using power analyzer (AR6) as shown in Table 1. It is observed that the voltage magnitude suffer variation from the nominal operating voltage value and angle for both techniques. Thus, the system was then subjected to further analysis to identify the cause of the noticeable variations. In the same vein, the analysis was extended to IEEE-9 and IEEE-30 bus systems.

In continuation of the analysis of the UNILAG power distribution network, whereby each cable was given identification tag to preserve the coordination of the individuality of the magnitude of the flow through each cable was presented. Table 2 shows the power flow results along the cables used in University of Lagos power distribution network using NR method. Table 3 displayed same operation as it was performed using the GS technique. It can be seen that the maximum losses occurred in cable 14 which is the branch connecting the power station to the Faculty of Engineering, this is as a result of the nature of loads (such as Electric motors, Electromagnets solenoids as well as heating equipment) connected to the Engineering Bus. The ETAP software is used to further explained the scenario described above. It is thus as presented in Figure 3.

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Figure 3: Single line diagram of University of Lagos power distribution network using ETAP software

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The various bus number configuration is as shown in Table 1 for the purpose of evaluating the line and bus parameters of the buses in the UNILAG power distribution network. Thus, the total load demanded by the UNILAG Campus is assessed via this table. Also, the load demand by various major load centres within the Campus is captured in the Table.

Table 1: Buses and load results for University of Lagos power distribution network										
			Newton Raphson Method Gauss Seidel Method							
S/N	Bus ID	kV	Voltage		Load		Voltage		Load	
			% Mag.	Ang.(0)	kW	kVAr	% Mag.	Ang.(0)	kW	kVAr
1	Access Bank	11	101.703	10.051	78.666	52.434	101.703	10.051	78.666	52.434
2	AG South	11	95.157	11.065	71.978	43.185	95.157	11.065	71.978	43.185
3	Agerige Odo	11	101.865	10.020	34.079	20.447	101.865	10.020	34.154	20.238
4	Alumni Building	11	99.069	10.491	68.338	41.002	99.068	10.469	68.388	40.832
5	Alvan Ikoku Road	11	101.935	10.009	54.669	31.245	101.935	10.008	54.657	31.281
6	Arts Block	11	101.758	10.031	168.760	103.124	101.758	10.031	168.786	103.071
7	Arts Theater	11	101.708	10.039	69.808	46.530	101.708	10.039	69.816	46.514
8	Chiller Auditorium	11	95.327	11.036	132.349	105.879	95.327	11.036	132.349	105.879
9	Fac. of Mgt Sc.	11	94.953	11.345	70.877	43.609	94.953	11.345	70.877	43.609
10	Chemical Engrng	11	99.496	10.420	169.497	122.038	99.494	10.397	173.161	111.794
11	CITS	11	101.996	10.001	72.436	43.460	101.996	10.001	72.439	43.452
12	Conference Center	11	101.787	10.031	160.017	97.780	101.787	10.031	160.017	97.780
13	UNILAG Consult Junction	11	98.053	10.694	75.188	45.111	98.052	10.694	75.206	45.092
14	DLI	11	101.385	10.110	158.567	103.087	101.385	10.110	158.568	103.087
15	Engineering 1	11	97.032	10.643	133.661	86.880	97.032	10.643	133.660	86.880
16	Engineering 2	11	96.895	10.671	140.232	86.811	96.895	10.671	140.233	86.811
17	Fac. of Education	11	101.758	10.030	179.466	111.412	101.758	10.030	179.467	111.410
18	Fac. of Environment. Sc.	11	101.445	10.097	72.097	43.257	101.445	10.097	72.098	43.257
19	Fac. of Law	11	101.766	10.030	160.835	98.280	101.766	10.030	160.828	98.296
20	Fagunwa Hall	11	101.897	10.019	151.502	92.578	101.897	10.019	151.502	92.578
21	Guest Houses	11	101.824	10.022	81.617	48.968	101.824	10.022	81.615	48.972
22	Health Centre	11	101.758	10.036	48.096	27.484	101.758	10.036	48.116	27.421
23	Henry Carr Hall	11	101.451	10.096	150.180	91.769	101.451	10.096	150.181	91.769
24	High Rise A	11	101.812	10.029	72.619	43.570	101.811	10.029	72.726	43.342
25	High Rise B.	11	101.801	10.031	56.508	35.317	101.801	10.030	56.471	35.383
26	HRDC Building	11	98.013	10.700	65.069	43.371	98.013	10.700	65.060	43.379
27	Hydraulic Laboratory	11	101.985	10.002	158.211	123.818	101.985	10.002	158.211	123.819

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28	Jaja Hall	11	99.481	10.422	76.090	50.717	99.480	10.400	74.397	55.453
29	Library	11	94.076	11.521	136.529	88.759	94.076	11.521	136.529	88.759
30	Mariere Hall	11	100.713	10.216	102.429	61.458	100.713	10.216	102.433	61.448
31	Medical Quarters	11	100.693	10.220	122.901	95.590	100.693	10.220	122.899	95.594
32	High Rise C.	11	101.767	10.037	62.995	41.989	101.767	10.036	62.995	41.986
33	Moremi Hall	11	101.808	10.028	69.687	46.449	101.808	10.028	69.690	46.444
34	Multipurpose Hall	11	101.645	10.052	157.868	118.401	101.645	10.052	157.869	118.400
35	Ozolua Road	11	101.732	10.042	159.654	103.794	101.732	10.042	159.659	103.777
36	Worship Place	11	101.781	10.040	81.014	48.607	101.781	10.040	81.014	48.607
37	Professorial quarters	11	101.737	10.041	78.719	52.469	101.737	10.041	78.711	52.498
38	Ransome Kuti Road	11	101.556	10.067	72.254	43.351	101.556	10.067	72.254	43.352
39	Science Complex 1	11	101.932	10.009	163.171	116.565	101.932	10.009	163.373	115.997
40	Science Complex 2	11	101.918	10.011	110.039	68.775	101.918	10.010	110.134	68.510
41	Science Complex 3	11	101.901	10.013	137.535	96.275	101.901	10.013	137.544	96.227
42	Senate House 1	11	101.891	10.017	171.909	130.650	101.891	10.017	171.909	130.650
43	Senate House 2	11	101.719	10.038	153.076	116.642	101.719	10.038	153.071	116.652
44	Fac. of Social Sciences	11	101.400	10.107	158.802	97.038	101.400	10.107	158.802	97.038
45	Sodeinde Hall	11	101.832	10.031	156.782	95.432	101.832	10.031	156.782	95.432
46	Tinubu Close & Kosoko Drive	11	101.859	10.021	74.169	46.355	101.859	10.021	74.164	46.368
47	VC's Lodge	11	101.851	10.021	160.218	97.903	101.851	10.021	160.167	98.049
48	Works and Planning	11	101.468	10.094	68.592	41.155	101.468	10.094	68.590	41.155

The proficiency of the Newton Raphson method is tested on the UNILAG power distribution network. Table 2 shows the cables that has considerable amount of voltage drop. The essence of this is to provide information that would assist in identifying the points at which compensation would be required

Table 2: Newton Raphson Branch flow results for the 50-bus UNILAG distribution network with voltage drops along the line

along the line										
		From To Pue Flow To From P		Rus Flow			0/ Pue Voltago		Vd %	
S/N	Branch ID	110111-10	Dus How	10-11011	Dus 110w	Los	5505	70 Dus Voltage		Drop
3/19	Branch ID	kW	kVAr	kW	kVAr	kW	kVAr	From	То	Vmag
1	Cable 14	-483.306	-324.083	511.8399	334.9552	28.53359	10.87258	97.03213	102	4.967875
2	Cable 20	-208.954	-132.772	227.1975	137.1545	18.24355	4.382099	94.95313	101.7871	6.83393
3	Cable 26	-314.284	-213.852	323.2391	216.6709	8.954795	2.819387	99.49562	101.8509	2.355321
4	Cable 54	-140.287	-88.4918	146.2923	90.05973	6.005192	1.567909	98.05254	101.5557	3.503142
5	Cable 16	-204.477	-149.104	208.8007	150.2326	4.323297	1.128779	95.32687	96.89519	1.568321
6	Cable 40	-668.265	-413.409	670.5919	414.0164	2.326452	0.607419	101.7025	102	0.297464
7	Cable 36	160.7655	111.826	-158.85	-111.223	1.915162	0.602982	101.7076	100.7128	0.99489
8	Cable 41	589.5997	360.9754	-587.97	-360.584	1.629791	0.391476	101.7025	101.468	0.234525
9	Cable 21	138.0767	89.16342	-136.529	-88.7593	1.54786	0.404134	94.95313	94.07573	0.877402
10	Cable 51	-556.626	-363.416	558.1377	363.9917	1.511672	0.576015	101.758	102	0.241976
11	Cable 31	-795.593	-525.637	797.0382	526.1873	1.444827	0.550544	101.8243	101.9854	0.16114

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From Table 3, it is evident that the GS branch flow results are the same with the NR results to the second decimal place, therefore this shows that the results depict the actual solutions. It can also be seen that the maximum percentage voltage drops in the network is about 6%. This influences the power delivery proficiency of the network. Since the reactive power is useful in providing voltage levels required for the active power to perform the work done in the electrical network.

Table 3: Gauss Seidel Branch Flow results for the distribution network with voltage drop along the line

	Branch - ID	From-To Bus Flow		To-From Bus Flow		Losses		% Bus Voltage		Vd %
S/N		kW	kVAr	kW	kVAr	kW	kVAr	From	То	Drop Vmag
1	Cable14	-483.306	-324.083	511.8392	334.9552	28.53354	10.87257	97.03213	102	4.96787
2	Cable20	-208.954	-132.772	227.1975	137.1545	18.24355	4.382099	94.95313	101.7871	6.83393
3	Cable26	-316.305	-208.173	325.19	210.9709	8.885456	2.797556	99.49442	101.8509	2.356519
4	Cable54	-140.297	-88.4812	146.3019	90.04918	6.005378	1.567958	98.05239	101.5557	3.503287
5	Cable16	-204.477	-149.104	208.8006	150.2326	4.323293	1.128779	95.32687	96.8952	1.568321
6	Cable40	-668.267	-413.409	670.5938	414.0161	2.326461	0.607421	101.7025	102	0.297465
7	Cable36	160.7702	111.8123	-158.855	-111.209	1.915086	0.602958	101.7076	100.7128	0.994892
8	Cable41	589.6014	360.9751	-587.972	-360.584	1.629797	0.391477	101.7025	101.468	0.234525
9	Cable21	138.0767	89.16342	-136.529	-88.7593	1.54786	0.404134	94.95313	94.07573	0.877402
10	Cable51	-556.637	-363.403	558.1485	363.9794	1.511683	0.57602	101.758	102	0.241979
11	Cable31	-795.617	-525.585	797.062	526.1354	1.444801	0.550534	101.8243	101.9854	0.161141

From Table 2, the maximum percentage voltage drop occurred at cable 20 (about 6.8%), that is, the branch connecting senate building to Faculty of Management Sciences, and this is perhaps due to the high load demand in the senate building. This is basically due to the electric lift (which is inductive load by nature) that serves the eleven floors in the building. It can also be seen from Table 2 that the results of the percentage voltage drop using NR method is approximately to the same as that of GS method. This shows the accuracy of the load flow calculations; however, the GS method takes a longer number of iterations and higher tolerance to yield the same result as the NR technique.

In Table 3, the cable with the highest number of losses is the branch connecting the power station to Faculty of Engineering (cable 14), this might be as a result of machines used in the cluster of Engineering Laboratories situated within the Faculty. Most these electrical loads require very high starting currents resulting in frequent overheating of the cable supplying the Faculty; thereby increasing losses through heat dissipation.

To validate the results obtained above; the IEEE-bus systems were considered. In which case Table 4 and 5 show the comparative results of NR and GS methods in terms of number of iterations, convergence time, power mismatch, system losses and iteration tolerance for both IEEE-9 bus and IEEE-30 bus systems. It can be seen in Table 4 that for IEEE-9 bus system; NR power flow converges in one (1) iteration while the GS converges in two (2) iterations. GS method convergence time is faster than the NR method, this is because of the repetitive time required to calculate the Jacobian matrix in NR method. It can also be seen that the GS method requires higher tolerance than the NR method to yield a result equivalent to the NR method. In the same vein, that of the UNILAG power distribution network is considered. This is as presented in Table 6.

Method	No of iterations	Convergence time (sec.)	MW Power mismatch	MVAr Power mismatch	Total MW losses	Total MVAr losses	Iteration tolerance
Gauss Seidel	2	0.1024	0.00	0.00	4.661	92.212	0.00001
Newton Raphson	1	0.1135	0.00	0.00	4.661	92.212	0.001

Table 4: Comparative results of Newton Raphson and Gauss Seidel Power flow methods for IEEE-9 Bus power

Table 5: Comparative results of Newton Raphson and Gauss Seidel Power flow methods for IEEE-30 Bus

Method	No of iterations	Convergence time (sec.)	MW Power mismatch	MVAr Power mismatch	Total MW losses	Total MVAr losses	Iteration tolerance
Gauss Seidel	79	0.1540	0.176	0.072	17.550	32.990	0.00001
Newton Raphson	2	0.1756	0.00	0.00	17.563	33.045	0.001

It is also evident from Table 4 that the reactive power mismatch increased from 0.000 kVAr in IEEE-9 bus system to 72 kVAr for the 30-bus power system in the GS method while the NR method remained 0.00 kW in both cases. This however, shows that the accuracy of the GS method reduces with increase in the number of buses (Liu et al, 2019; Sereeter and Witteveen, 2019). On extending this comparative study to the UNILAG power distribution network; the results obtained are as showcased in Table 5.

From Table 6, it can be seen that the number of iterations of the GS method further increased to 177 for the 50 bus of University of Lagos power distribution network while that of the NR method had just 3 iterations. This shows that the number of iterations of the GS method is highly dependent on the number of buses while the NR method is approximately independent on the number of iterations. Thus, it is established that Newton Raphson is the more reliable method due to its least number of iteration and faster convergence compared to its counterpart Gauss Seidel method.

Table 6: Comparative results of Newton Raphson and Gauss Seidel Power flow methods for University of Lagos electric power distribution network

		Lagos ciccui	ie power uist	induction net	WOIK		
Method	No of iterations	Convergence time (Sec.)	MW Power mismatch	MVar Power mismatch	Total MW losses	Total MVar losses	Iteration tolerance
Gauss Seidel	177	0.2457	0.0061	0.017	0.0854	0.0267	0.00001
Newton Raphson	3	0.3276	0.00	0.00	0.0855	0.0267	0.001

4. CONCLUSION

The results obtained showed that Gauss Seidel method requires a considerably greater number of iterations to obtain a solution than Newton Raphson method which requires 3 to 5 iterations to reach an acceptable solution for a large power system. Also, for Gauss Seidel method, the number of iterations increases directly as the number of buses of the network while that of Newton Raphson method is independent of the system size. It can then be concluded that for the large distribution network, Newton Raphson method is faster, more reliable. Therefore, Newton Raphson is a better method for a distribution network having at least 20 buses. It can thus be concluded that the maximum percentage voltage drop occurred along cable 20 (about 6.83%)

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which is the branch connecting Senate Building to the Faculty of Management Sciences; this is perhaps due to the high load demand in the adjoining buildings. Especially the Senate Building where there is an electric lift serving the Eleven (11) Floor building which is a highly inductive load by nature. Beyond the above, this study identified a number of cables with the highest power losses; among which the branch connecting the University's distribution power station to the Faculty of Engineering has the highest stake. The identity of which is cable 14 (with about 28.5kW losses). This might be as a result of the nature of heavy duty electrical machines being used in the cluster of Engineering Laboratories situated within this location. This observation may result in some of these electrical equipment require with high starting currents leading to overheating of the network and subsequently comparatively high losses that may result in system collapse. This also has influence on the system frequency of operation. With the help of this study, it has been established that the reactors may have to be installed to assist the cable 20 and cable 14 for improving the power system operation of the facilities within these two locations in the UNILAG campus.

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6. CONFLICT OF INTEREST

There is no conflict of interest associated with this work.

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